



Materials

Topic 7. Fatigue failure



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7.1. THE FATIGUE PHENOMENON

- Fatigue:
 - Elements subjected to dynamic and fluctuating loads.
 - Fracture takes place at a lower level than the resistance under static load, usually occurs suddenly and is catastrophic.















No cracks pre-exist; initiation-controlled fracture. Examples: almost any small components like gudgeon pins, ball races, gear teeth, axles, crank shafts, drive shafts.

- According to the existence or not of cracks:
 - Uncracked components (initiation, propagation and breakage).
 - Cracked components (propagation and breakage).

• According to the type of applied stress:

- Axial fatigue (tensión and/or compresion).
- Flexion fatigue.
- Torsión fatigue.

Cracks pre-exist; propagation controlled fracture. Examples: almost any large structure, particularly those containing welds: bridges, ships, pressure vessels.

Fatigue at stresses below general yield; $\approx 10^4$ cycles to fracture. Examples: all rotating or vibrating systems like wheels, axles, engine components.

Fatigue at stresses above general yield; $\approx 10^4$ cycles to fracture. Examples: core components of nuclear reactors, air-frames, turbine components, any component subject to occasional overloads.

- According to the applied stress value:
 - High-cycle fatigue (s_{max} < s_Y).
 - Low- cycle fatigue (s_{max} > s_Y).





7.3. CYCLIC STRESSES

 The applied stress may be axial (tension-compression), flexural (bending), or torsional (twisting) in nature. Three fluctuating Stress – time modes:



The stress alternates from a máximum tensile stress (+) to a máximum compressive stress of equal magnitude.







Repeated stress cycle



Maximum and minimum stresses are asymmetrical relative to the zero-stress level.

- Parameters to characterize the fluctuating stress cycle:
 - Mean stress:
 - Stress amplitude.
 - Range of stress.
 - Stress ratio.

$$\Delta \sigma = \sigma_{\max} - \sigma_{\min} \qquad R = \frac{\sigma_{\min}}{\sigma_{\max}}$$





7.4. FATIGUE BEHAVIOR OF UNCRACKED COMPONENTS

- Fatigue of small components with good surface finish.
- Their life has three phases:
 - Crack initiation, t_N.
 - Propagation up to a critical size, t_c.
 - Sudden breakage.
- Wöhler curve (The S N curve).





Life time, $t_L = t_N + t_C$





EXPERIMENTAL FITS

Mathematical fit ($\sigma_m = 0$):



• Complex fit when $\sigma_m \neq 0$ or $\Delta \sigma \neq constants$.





• When $\Delta \sigma$ varies during the lifetime of a component, the approach adopted is to sum the damage according to Miner's Rule of cumulative damage.







Number of cycles applied (Ds_i).

Number of cycles to fracture under the stress cycle in region i (Ds_i).

Fraction of the lifetime used up after Ni cycles in that region.

• MINER'S Rule of cumulative damage.





7.5. FATIGUE BEHAVIOR OF <u>CRACKED</u> COMPONENTS

- The nucleation phase does not exist. It must be avoided that the defect reaches a critical size.
- Analysis of crack propagation rate.

Paris' Law

$$\frac{da}{dN} = A \cdot \left(\Delta K\right)^m$$



- Region I: the existing cracks do not grow.
- Region II: lineal behavior according to Paris Law.
- Region III: fast grow that leads to the breakage.
- N_R is calculated integrating the Paris' Law.
- Limits of integration: a₀ and a_c.



log





7.6. PHYSICAL ASPECTS OF FATIGUE BREAKAGE

 The propagation direction is oriented <u>1</u> to the stress applied. The surface is characterized by two aspects (beachmarks and striations).



Beachmark

Macroscopics (rest periods).



Striations

Microscopics (the advance of a crack front during a single cycle).









7.7. PRACTICAL CASE 1: FATIGUE TEST OF A MITRAL CORDAE TENDINEAE







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7.7. PRACTICAL CASE 2: FATIGUE TESTS ON SUPERESTRUCTURE RAILWAY COMPONENTS

